Chapter - 5

## HUMAN EYE AND COLOURFUL WORLD

Least distance of distinct vision(LDDV) : The minimum distance of an object from eye to see comfortably and clear is called "Least distance of distinct vision"

> This value varies from person to person and with age
$>$ LDDV at healthy human being is 25 cm
$>$ LDDV at young age(below 10 years) is 7 to 8 cm
$>$ LDDV at old age is 1 to 2 m or even more

## Angle of Vision :

The maximum angle at which we are able to see the whole object is called "Angle of vision"
$>$ This value varies from person to person and with age
> The angle of vision for a healthy human being is about $60^{\circ}$
$>$ If this angle is below $60^{\circ}$, we can see the whole object.
$>$ If this angle is above $60^{\circ}$, then we can see only the part of the object.


How to find the maximum focal length of the eye lens is $\mathbf{2 . 5} \mathbf{~ c m}$
$\mathrm{u}=-\infty \quad \mathrm{v}=2.5 \mathrm{~cm} \quad \mathrm{f}=$ ?
Using formula $1 / \mathrm{f}=1 / \mathrm{v}-1 / \mathrm{u}$

$$
\begin{aligned}
1 / f_{\max } & =1 / 2.5+0 \\
f_{\max } & =2.5 \mathrm{~cm}
\end{aligned}
$$

Object at infinity


How to find the minimum focal length of the eye lens is $\mathbf{2 . 2 7} \mathbf{c m}$
$\mathrm{u}=-25 \mathrm{~cm} \quad \mathrm{v}=2.5 \mathrm{~cm} \quad \mathrm{f}=$ ?
Using formula $1 / \mathrm{f}=1 / \mathrm{v}-1 / \mathrm{u}$
$1 / \mathrm{f}_{\min }=1 / 2.5+1 / 25$
$1 / \mathrm{f}_{\text {min }}=11 / 25$
$\mathrm{f}_{\text {min }}=2.27 \mathrm{~cm}$

## Types of defects of vision

There are mainly three common defects of vision

1. Myopia
2. Hypermetropia
3. Presbyopia

## Reason for the defects of vision

Sometimes the eye may gradually lose its ability for accommodation.
In such conditions the person cannot see an object clearly and comfortably

## Myopia

Definition: Some people cannot see objects at long distances but can see nearby objects clearly. This type of defect in vision is called "Myopia"
$>$ It is also called "Near sightedness"
$>\quad$ If person with myopia ,his maximum focal length is less than 2.5 cm
$>\quad$ If person with myopia, form an image before the retina

$>$ The point of maximum distance at which the eye lens can form an image on the retina is called "far point(M)"
$>$ A person with myopia can see objects clearly up to far point. After far point cannot see the objects clearly
$>$ To correct this myopia by using bi-concave lens
$>$ Focal length of bi-concave lens is $f=-D$


## Hypermetropia

Definition: Some people cannot see objects at near distances but can see distant objects clearly.
This type of defect in vision is called"Hypermetropia"
$>$ It is also called "Far sightedness"
$>$ If person suffering from hypermetropia ,his maximum focal length is more than 2.27 cm
$>$ If person suffering from hypermetropia, form an image beyond the retina

> The point of minimum distance at which the eye lens can form an image on the retina is called "near point(H)"
> A person with hypermetropia can see objects clearly after near point. Cannot see the objects clearly between Least distance of distinct vision(L) and near point $(\mathrm{H})$
> To correct this myopia by using bi-convex lens
> Focal length of bi-concave lens is $\mathrm{f}=25 \mathrm{~d} /(\mathrm{d}-25)$


## Presbyopia

> Presbyopia is vision defect when the ability of accommodation of the eye usually decreases with ageing.
> To correct this type of defect of vision we need bi-focal lenses with are formed using both concave and convex lenses.
> Its upper portion consists of the concave lens and lower portion consists of the convex lens

## Power of lens

> The reciprocal of focal length is called 'power of lens'
$>$ The degree of convergence or divergence of light rays that can be achieved by a lens is expressed in terms if its power
> The unit of power of lens is dioptre (D)
Formula: Power of lens $P=1 / \mathrm{f} \quad(\mathrm{f}$ in m )
(OR)
Power of lens $\mathrm{P}=100 / \mathrm{f} \quad$ ( f in cm)
Example: Doctor advised to use 2D lens. What is its focal length?
Solution: Given that power of lens P = 2D
Using, $\mathrm{P}=100 / \mathrm{f}(\mathrm{in} \mathrm{cm})$

$$
\begin{aligned}
& 2=100 / \mathrm{f} \\
& \mathrm{f}=100 / 2=50 \mathrm{~cm} .
\end{aligned}
$$

